

# Today we learn about...

\_\_\_\_\_!

In its various forms and interactions between types!

\_\_\_\_\_ is defined as  
the ability to do \_\_\_\_\_!

- Energy comes in various forms...
- Some is being used immediately, some is stored.
- Stored energy is called Potential Energy, as it has the potential to do work at a later time.
- There are many types of P.E. The most common three are called:
  - \_\_\_\_\_ P.E. which is energy stored in chemical bonds. e.g. ATP, ADP bond energies, exothermic/endothermic
  - \_\_\_\_\_ P.E. which is energy stored in the form of mass.
  - \_\_\_\_\_ P.E. which is energy stored in height.

When we say P.E. in this class, we mean **Gravitational P.E.**

The factors involved are the  
Weight (m x g) and Height

The formula is then: **P.E. = mgh**

Unit would be Nm or J (Same as Work!)

A 8.732 kg bowling ball is on a 1.23 m table. How much work would be done on your foot if it fell?

PE = mgh

How fast was the ball traveling when it crushed your foot? To measure that we need to know about immediate energy!

Energy of \_\_\_\_\_ is one type of immediate energy called: \_\_\_\_\_ Energy!

This is concerned with motion, so the factors involved here will be... Velocity and Mass

- The formula becomes:

• **K.E. =  $mv^2 / 2$**

- When the ball falls, the NRG doesn't disappear, it changes to another form!

- This happens with all energy forms!  
So when the ball falls...

- What happens to the amount of height it has?
- The amount of PE?
- What happens to its velocity?
- So what happens to its KE?
- We lose PE and gain an equal amount of KE in its place!
- We get the all important equation:

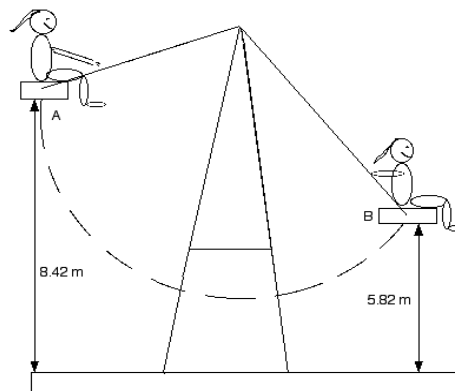
$$\Delta KE = \Delta PE = \Delta W$$

- Remembering... We had a 8.732 kg bowling ball on a 1.23m table. If it falls on your foot, the PE turned to KE, so PE lost = KE gained or  $mgh = mv^2/2$

Marc's 742 kg car was going 14.4 m/s down the street when it runs out of gas. How much energy does his car still have? How far up a hill can he coast?

We know: 742 kg = Mass    14.4 m/s = Velocity  
Height = ?    Energy type = Kinetic!

Maxinne swings her 42 kg mass from point A to point B. How fast is her swing moving there?



- Which height would we use?
- Neither!
- It's the LOSS of height that results in a gain of speed! Here she didn't lose all of it, just 8.42 - 5.82 = 2.6 m lower. That would make us how much faster?

How much work was needed to get her to point A in the first place?

- The work turned into PE, so  $42(9.81) 8.42 = \underline{\hspace{2cm}} J$